

CASE STUDY

Calculate Sensitivity

Calculating the Sensitivity of a Camera

If you need to know the output response of your camera to a given illumination level, you can make a mathematical calculation to solve this question. You will need to have some information about the imaging sensor in the camera and the amount of light that you plan to illuminate a scene. The camera datasheet can provide you this information specific to your camera model. Let's begin with an example to illustrate how to make the calculation. The Photron SA1 High Speed camera will be used as an example.

First, let's calculate the case for full resolution of the SA1.1 camera with an exposure of 50 μ s. The SA1.1 has an advanced CMOS sensor with a full resolution of 1024 x 1024 pixels. For our example, let's assume the scene we will photograph is illuminated with a laser operating at 766 nm. The amount of illumination from the laser at 766 nm is known either by empirically measuring the flux density or getting this information from the laser's specification. The flux density for our example will be 10.0 μ W/cm².

Step 1

The number of electrons, which the array will generate for a given incident light flux and a specific integration time, is given by:

$$N_e = \frac{P_n \times A \times FF \times QE \times EXP}{NP}$$

Where:

- A = area of array
- NP = number of pixels in the array area
- FF = fill factor
- QE = Quantum Efficiency in e-/photon
- EXP = integration time
- P_n = number of photon per unit time

$$P_n = F \times N \text{ (photons/sec/cm}^2\text{)}$$

$$N = I / hc$$

where h = Planck's constant ~ 6.63 x 10⁻³⁴ J-sec
 c = speed of light ~ 3.0 x 10⁸ m/sec

$$N = I \times 5.0277 \times 10^{15}$$

Example: PHOTRON FASTCAM SA1.1

sensor resolution: 1024 x 1024 = 1,048,576
 pixel size: 20 μ m (square)
 array area: 419.43 mm² = 41.943 cm²
 fill factor: 52%
 QE @ 766 nm: 17 A/W, ~ 37%
 integration time: 50 μ s
 output conversion: 25 μ V/e-
 pixel well depth: 45,000 e-
 noise floor: 38 e-

Step 2

$$N = 766 \text{ nm} \times 5.0277 \times 10^{15} \\ \sim 3.851 \times 10^{18} \text{ photons/J}$$

and the flux density

$$F = 10.0 \text{ } \mu\text{W/cm}^2 = 10.0 \times 10^{-6} \text{ J/sec/cm}^2$$

$$P_n = N \times F \\ = 3.851 \times 10^{18} \text{ photons/J} \times 10.0 \text{ } \mu\text{J/sec/cm}^2 \\ = 3.851 \times 10^{13} \text{ photons/sec/cm}^2$$

To get the number of photons over the full array, multiply the (P_n) x array area

$$3.851 \times 10^{13} \text{ photons/sec/cm}^2 \times 41.93 \text{ cm}^2 = \\ 161.47243 \times 10^{13} \text{ photons/sec/array}$$

Step 3

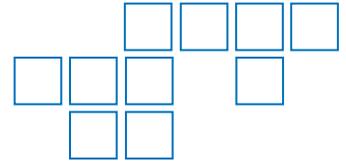
Now we apply the fill factor and divide by the number of pixels and we get the number of photons, which can be generated, at each photosite:

$$\frac{(161.47243 \times 10^{13} \text{ photons/sec/array} \times (0.52))}{(1,048,576 \text{ pixels/array})}$$

$$= 800.758968 \times 10^7 \text{ photons/sec/pixel}$$

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STEP 4

multiply by the QE @ 766 nm

$$800.758968 \times 10^7 \text{ photons/ sec/ pixel} \times (0.30 \text{ e-/photon})$$

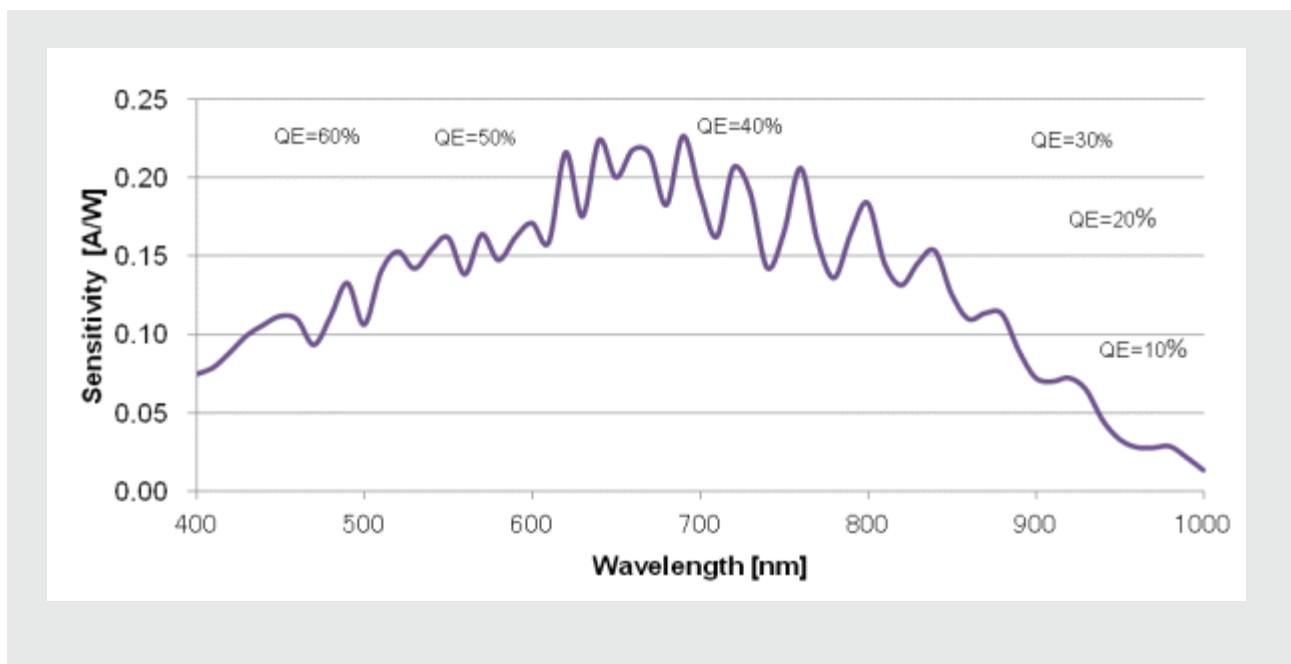
$$= 240.23 \times 10^7 \text{ e- / sec/ pixel}$$

multiply by the integration time

$$240.23 \times 10^7 \text{ e- / sec/ pixel} \times 50 \text{ uS} = 12,011.5 \text{ e- / pixel}$$

And the output voltage at the pin:

$$12,011.5 \text{ e- / pixel} \times 25 \text{ uV/e-} = 0.3002875 \text{ V}$$



Please Contact Vision Systems Technology, LLC
858-449-1562 sales@visionsystech.com